

**Program: BE Electronics and Telecommunication Engineering**

**Curriculum Scheme: Revised 2012**

**Examination: Second Year Semester III**

**Course Code: ECC301**

**Course Name: Applied Mathematics-III**

**Time: 1 hour**

**Max. Marks: 50**

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**Note: All the questions are compulsory and carry equal marks.**

Q1.	Find L[ $e^t \cos t$ ]
Option A:	$\frac{1}{(s+2)^2 + 5}$
Option B:	$\frac{2}{(s+1)^2}$
Option C:	$\frac{s}{(s-1)^2 + 1}$
Option D:	$\frac{2}{s}$
Q2.	Find L[ $\cos 2t \sin t$ ]
Option A:	$\frac{3}{s^2 + 9}$
Option B:	$-\frac{1}{s^2 + 1}$
Option C:	$\frac{9}{s^2 + 1}$
Option D:	$\frac{1}{2} \left[ \frac{3}{s^2 + 9} - \frac{1}{s^2 + 1} \right]$
Q3.	Find L[ $\sin^2 t$ ]
Option A:	$\frac{1}{2} \left[ \frac{1}{s} - \frac{s}{s^2 + 4} \right]$

Option B:	$\frac{s}{s^2 + 4}$
Option C:	$\frac{1}{2} \frac{s}{s^2 + 4}$
Option D:	$\frac{1}{s}$
Q4.	Find $L[e^t]$
Option A:	$1 / (s-1)^2$
Option B:	$1 / (s-1)$
Option C:	$2 / s$
Option D:	$3 / (s-1)^2$
Q5.	Find $L^{-1} \left[ \frac{s}{s^2 + 4} \right]$
Option A:	$e^{-t} \sin 2t$
Option B:	$\cos 2t$
Option C:	$\sin 2t$
Option D:	$e^{-t}$
Q6.	Find $L^{-1} \left[ \frac{1}{s + 5} \right]$
Option A:	$(1 - e^{25t})$
Option B:	$e^{-5t}$
Option C:	$1 - e^{-5t}$
Option D:	$e^{-5t} / 5$
Q7.	Find half range sine series for $f(x) = x$ in $(0, \pi)$
Option A:	$-\sum_{n=1}^{\infty} \frac{2(-1)^n}{n} \sin nx$
Option B:	$\sum_{n=1}^{\infty} \frac{1 - (-1)^n}{2n} \cos nx$
Option C:	$\sum_{n=1}^{\infty} \frac{1 - (-1)^n}{2n}$

Option D:	$\sum_{n=1}^{\infty} \cos nx$
Q8.	Which of the following function is odd?
Option A:	$f(x) = x^2$
Option B:	$f(x) = x^2 - x$
Option C:	$f(x) = x$
Option D:	$f(x) = x^3 + x$
Q9.	The function $f(x) = \sin x$ is periodic function with period
Option A:	$\pi$
Option B:	$2\pi$
Option C:	$3\pi$
Option D:	$4\pi$
Q10.	A vector $\vec{F}$ is Irrotational if $\text{curl} \vec{F}$ is
Option A:	1
Option B:	0
Option C:	2
Option D:	4
Q11.	Find the analytic function whose real part is $x^3 - 3xy^2$
Option A:	$z^3 + c$
Option B:	$z + c$
Option C:	$z - c$
Option D:	$3z + c$
Q12.	The integral of the normal component of the curl of a vector $\vec{F}$ over a surface $S$ is equal to the line integral of the tangent component of $\vec{F}$ around the curve bounding $S$ i.e.  $\iint_S \vec{N} \cdot (\nabla \times \vec{F}) ds = \int_C \vec{F} \cdot d\vec{r}$ where $\vec{N}$ is the unit outward normal vector to the element $ds$ .
Option A:	Stoke's Theorem
Option B:	Green's Theorem
Option C:	Gauss-Divergence Theorem
Option D:	Pythagoreans Theorem
Q13.	If $f(z) = r^2 \cos 2\theta + ir^2 \sin p\theta$ is analytic then the value of 'p' is
Option A:	3
Option B:	2

Option C:	4
Option D:	-2
Q14.	Find $a_0$ of the function $f(x) = \frac{1}{4}(\pi - x)^2$
Option A:	$\frac{\pi^2}{6}$
Option B:	$\frac{\pi^2}{12}$
Option C:	$\frac{5\pi^2}{6}$
Option D:	$\frac{5\pi^2}{12}$
Q15.	If $\vec{F} = x^2 \mathbf{i} + xy \mathbf{j} + y^2 \mathbf{k}$ then $\text{div} \vec{F}$ is
Option A:	X
Option B:	2x
Option C:	3x
Option D:	4x
Q16.	Find the fixed points of the bilinear transformation of $w = \frac{z-4}{2z-5}$
Option A:	1,2
Option B:	-1,2
Option C:	-1,-2
Option D:	1,-2
Q17.	Find $\text{grad}(\phi)$ if $\phi = 2x^2 + y^2$
Option A:	$x \mathbf{i} - y \mathbf{j} - z \mathbf{k}$
Option B:	$4x \mathbf{i} + 2y \mathbf{j}$
Option C:	$x \mathbf{i} + y \mathbf{j} + z \mathbf{k}$
Option D:	$x \mathbf{i} - z \mathbf{k}$
Q18.	If $\text{div} \vec{F} = 0$ then $\vec{F}$ is
Option A:	Solenoidal
Option B:	Irrotational
Option C:	Convergent
Option D:	Constant
Q19.	Evaluate $\int_A^B (2y dx + x dy)$ along $y = x$ from A(0,0) to B(2,2)
Option A:	1
Option B:	6

Option C:	-1
Option D:	3
Q20.	If $\vec{F} = i - xyj + y^2k$ then $\text{curl}\vec{F}$ is
Option A:	$(2y - x)i + yj - 2yk$
Option B:	$x i + y j + z k$
Option C:	$z i - y k$
Option D:	$i + 3 j + 2 k$
Q21.	The Laplace's equation is
Option A:	$\frac{\partial^2 \phi}{\partial x^2} + \frac{\partial^2 \phi}{\partial y^2} = 0$
Option B:	$\frac{\partial^2 \phi}{\partial x^2} - \frac{\partial^2 \phi}{\partial y^2} = 0$
Option C:	$\frac{\partial^2 \phi}{\partial y^2} = 0$
Option D:	$\frac{\partial^2 \phi}{\partial x^2} = 0$
Q22.	The Cauchy-Riemann equations are
Option A:	$\frac{\partial u}{\partial x} = \frac{\partial v}{\partial y}$ and $\frac{\partial u}{\partial y} = -\frac{\partial v}{\partial x}$
Option B:	$\frac{\partial u}{\partial x} = -\frac{\partial v}{\partial y}$ and $\frac{\partial u}{\partial y} = -\frac{\partial v}{\partial x}$
Option C:	$\frac{\partial u}{\partial x} = \frac{\partial v}{\partial y}$ and $\frac{\partial u}{\partial y} = \frac{\partial v}{\partial x}$
Option D:	$\frac{\partial u}{\partial x} = -\frac{\partial v}{\partial y}$ and $\frac{\partial u}{\partial y} = \frac{\partial v}{\partial x}$
Q23.	The function $\phi = x^2 - 5x + y + 2$ is Harmonic?
Option A:	Yes
Option B:	No
Option C:	Sometimes Yes
Option D:	Sometimes No

Q24.	The Laplace Transform of $\delta(t)$
Option A:	1
Option B:	0
Option C:	$\infty$
Option D:	2
Q25.	$J_{\frac{1}{2}}(x)$ is given by
Option A:	$\sqrt{\frac{2\pi}{x}} \sin x$
Option B:	$\sqrt{\frac{2\pi}{x}} \cos x$
Option C:	$\sqrt{\frac{\pi}{2x}} \cos x$
Option D:	$\sqrt{\frac{2}{\pi x}} \sin x$